Model-based Rate Allocation in Distributed Video Coding Systems

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Outline

Introduction

- Motivation
- Background
- Need for Feedback Suppression

Encoder Side Rate Control

- Rate Distortion Model
- Rate Control
- Rate Allocation
- Results



Standard Video Coders - MPEG, H.26x

- Based on hybrid of Motion Estimation and Transform Coding
- Complex encoder due to ME
- Downlink oriented

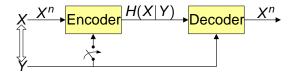
New Video Applications - Wireless/Cellular Video, Surveillance

- Low cost
- Limited power

 \rightarrow Low complexity encoder

- Limited computational resources
- Limited bandwidth \rightarrow coding efficiency
- Uplink oriented

Background - Source Coding with Side Information



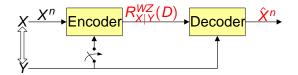
Slepian Wolf (SW) Coding - Lossless Case

• Switch open: $R_{X|Y}^{SW} = R_{X|Y} = H(X|Y)$, no rate loss

Wyner Ziv (WZ) Coding - Lossy Case

- RD function: $R_{X|Y}^{WZ}(D) \ge R_{X|Y}(D)$
- Equality holds if: Y = X + N, X and N independent Gaussian sources, MSE distortion
- Practical WZ coding: Quantization followed by SW coding

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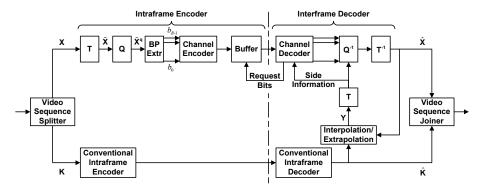


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Feedback Channel

- Incurs delay \rightarrow Unsuitable for real-time applications
- Not available in some apps. (e.g. storage)

Related Work [Morbee 06, 08], [Brites 07]

- Studied performance of a system with feedback offline or evaluated H(X|Y) at bitplane level.
- Rate estimation is based on the quantized data

Feedback Suppression

 Proposed approach: Encoder-side rate control based on a rate distortion model

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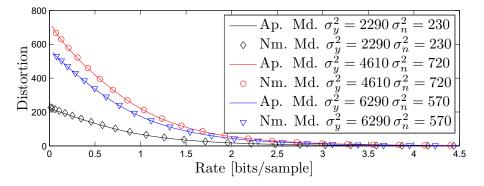
WZ Coding - Laplacian Sources [V. Sheinin 06]

- X = Y + N, Y ~ Laplace(μ_y, σ_y²) and N ~ Laplace(μ_n, σ_n²) i.i.d., N independent of Y
- Infinite Uniform Scalar Quantizer $IUSQ(\Delta, \varepsilon)$
- RD characterization assuming perfect SW coding H(X|Y)
- The RD model is given in integral form expressions

Approximation RD Model

- $R(\Delta) = \exp[a_r \exp(-(\Delta/b_r)^{\gamma_r}) + m_r \Delta + n_r]$
- $D(\Delta) = \exp \left[a_d \exp(-(\Delta/b_d)^{\gamma_d}) + n_d\right]$
- {a_r, b_r, γ_r, m_r, n_r} and {a_d, b_d, γ_d, n_d} are evaluated offline for a set of σ²_y, σ²_n and ε

Approximation RD Model vs. Numerical Model

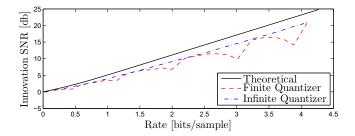


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Remaining Questions

Once obtaining Δ that satisfies the RD constraints:

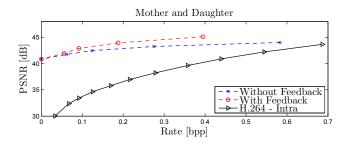
- What is the number of IUSQ bin labels? (Nested Quantiztion)
- What should be the rate of each bitplane?
- Both questions can be answered by evaluating the RD function



Applications of RD Model in DVC

DVC Encoder-Side Rate Control

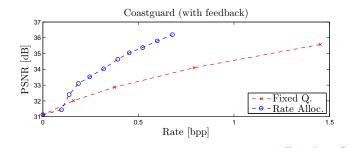
- Feedback suppression evaluate RD for the whole frame
- Use frame difference to estimate 'noise' statistics (applicable only to low motion sequences)



Rate Allocation

- Split WZ frames into disjoint slices, evaluate RD for each slice
- Applicable to systems with and without feedback

$$\min_{\substack{(q_0,...,q_{S-1})}} \sum_{s=0}^{S-1} D_s, \qquad ext{s.t.} \sum_{s=0}^{S-1} R_s(D_s) \leq R_{max}$$
 $q_i \in \{\Delta_0,\ldots,\Delta_{m-1}\}$



- Approximation to the WZ rate distortion model for Laplacian sources
- Feedback suppression using model based encoder rate control
- Quality enhancement by applying rate allocation to disjoint slices in systems with and without feedback
- Outlook
 - Generalizing the feedback suppression framework for sequences with medium-high motion activity
 - Testing the proposed system on more sequences